3.14A Polar Function Graphs

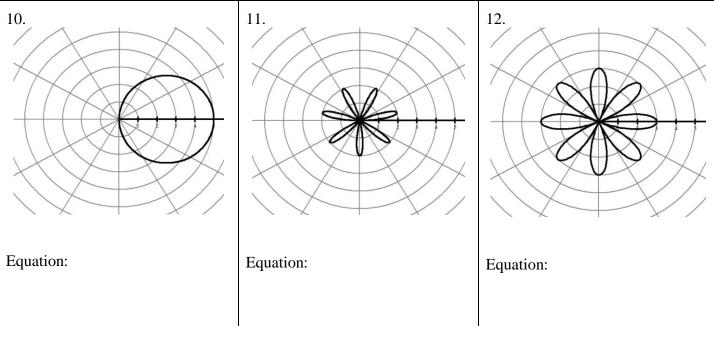
AP Precalculus

Name: _____

CA #2

Use the polar function to answer	the following. Fill in the table.	
1. $r = 2\cos(6\theta)$	2. $r = 3\sin(5\theta)$	3. $r = 8$
Type: Line Circle Rose Opens: Petals:	Type: Line Circle Rose Opens: Petals:	Type: Line Circle Rose Center: Petals:
Cycle:	Cycle:	Cycle:
$ \begin{array}{c c} \theta & r \\ \hline \frac{\pi}{6} \\ \pi \end{array} $	θ r $\frac{\pi}{3}$ $\frac{\pi}{2}$	$ \begin{array}{c c} \theta & r \\ \hline \frac{\pi}{4} \\ \hline \frac{3\pi}{2} \end{array} $
	following. Find the endpoints of the gi	
4. $r = 6\sin(\theta)$	5. $r = 5\cos(2\theta)$	6. $r = -8\cos(\theta)$
Type: Line Circle Rose Opens: Petals: Cycle: Endpoints of $\frac{\pi}{6} \le \theta \le \frac{\pi}{3}$	Type: Line Circle Rose Opens: Petals: Cycle: Endpoints of $\frac{\pi}{2} \le \theta \le \frac{2\pi}{3}$	Type: Line Circle Rose Opens: Petals: Cycle: Endpoints of $\frac{7\pi}{6} \le \theta \le \frac{3\pi}{2}$
Write the equation of the polar funct	ion. State the cycle and any symmetry	
7.		9.
Equation:	Equation:	Equation:

Write the equation of the polar function. State the cycle and any symmetry.



Answers to 3.14A CA #2

 Rose with 12 petals Cycle: [0,2π] 	2.Rose with 5 petalsCycle: [0, π]	 Circle with center at pole Cycle: [0,2π]
$ \begin{array}{c c} \theta & r \\ \hline \frac{\pi}{6} & -2 \\ \hline \pi & 2 \end{array} $	$\begin{array}{c c} \theta & r \\ \hline \frac{\pi}{3} & -\frac{3\sqrt{3}}{2} \\ \hline \frac{\pi}{2} & 3 \\ \hline \end{array}$	$ \begin{array}{c c} $
4. Circle opens up Cycle: $[0, \pi]$ For location $(2, \pi)$ $(2, \sqrt{2}, \pi)$	5. Rose with 4 petals Cycle: $[0,2\pi]$ For herizator $(-5, 2\pi)$	6. Circle opens left Cycle: $[0, \pi]$
Endpoints: $\left(3, \frac{\pi}{6}\right), \left(3\sqrt{3}, \frac{\pi}{3}\right)$ 7. Equation: $r = 2\sin(\theta)$	Endpoints: $\left(-5, \frac{\pi}{2}\right), \left(-\frac{5}{2}, \frac{2\pi}{3}\right)$ 8. Equation: $r = 4\cos(2\theta)$	Endpoints: $\left(4\sqrt{3}, \frac{7\pi}{6}\right), \left(0, \frac{3\pi}{2}\right)$ 9. Equation: $\theta = \frac{\pi}{3}$
10. Equation: $r = 5\cos(\theta)$	11. Equation: $r = 2\sin(7\theta)$	12. Equation: $r = 3\cos(4\theta)$