

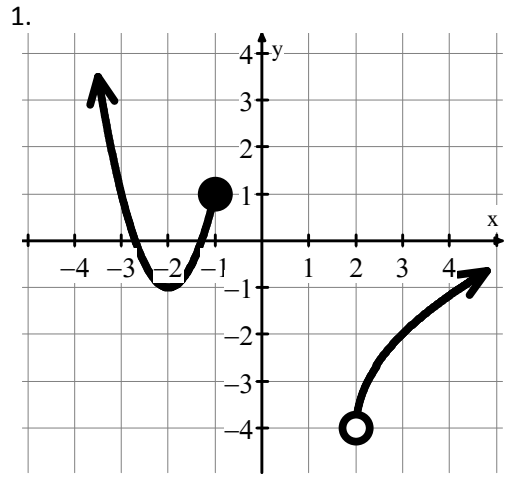
### 3.2 Corrective Assignment – Extrema & Function Analysis

Name: \_\_\_\_\_

Pre-Calculus

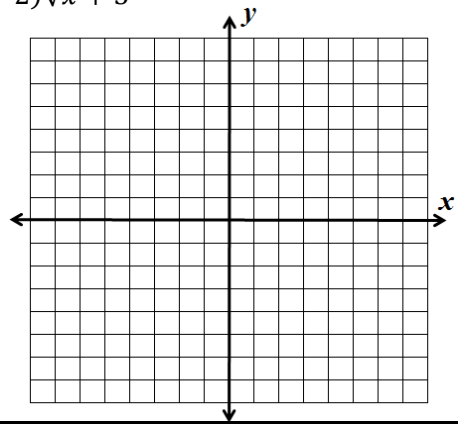
Using the graph and/or the function's equation, find all of the following. Use Interval Notation when describing intervals. Sketch the graph if it is not given.

Domain:	Absolute max/min value(s):
Local max/min value(s) that are NOT absolute:	
Increasing:	Decreasing:
Left End-behavior: $\lim_{x \rightarrow -\infty} f(x) =$	Right End-behavior: $\lim_{x \rightarrow \infty} f(x) =$



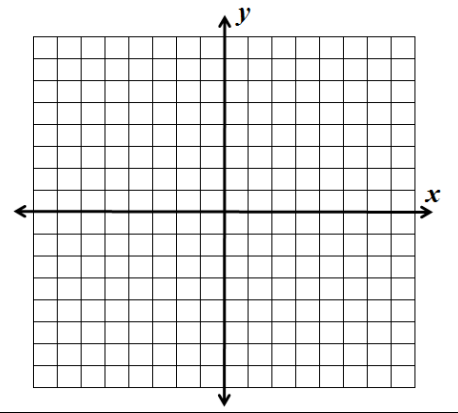
Domain:	Absolute max/min value(s):
Local max/min value(s) that are NOT absolute:	
Increasing:	Decreasing:
Left End-behavior: $\lim_{x \rightarrow -\infty} f(x) =$	Right End-behavior: $\lim_{x \rightarrow \infty} f(x) =$

2.  $f(x) = \frac{1}{2}(x^2 - 2)\sqrt{x + 5}$



Domain:	Absolute max/min value(s):
Local max/min value(s) that are NOT absolute:	
Increasing:	Decreasing:
Left End-behavior: $\lim_{x \rightarrow -\infty} f(x) =$	Right End-behavior: $\lim_{x \rightarrow \infty} f(x) =$

3.  $g(x) = \sqrt{36 - x^2} - 2$



**ANSWERS:**

1. Domain:  $(-\infty, -1] \cup (2, \infty)$ ; Abs max/min value: NONE; Rel **MIN** value  $-1$ , Rel **MAX** value  $1$ ; Inc:  $(-2, -1) \cup (2, \infty)$ ; Dec:  $(-\infty, -2)$ ; Left:  $\infty$ ; Right:  $\infty$
2. Domain:  $[-5, \infty)$ ; Abs **MIN** value:  $-2.247$ ; Rel **MIN** value  $0$ , Rel **MAX** value  $7.025$ ; Inc:  $(-5, -4.098) \cup (0.097, \infty)$ ; Dec:  $(-4.098, 0.097)$ ; Left: NONE; Right:  $\infty$
3. Domain:  $[-6, 6]$ ; Abs **MIN** value:  $-2$ , Abs **MAX** value:  $4$ ; No other Local Extrema; Inc:  $(-6, 0)$ ; Dec:  $(0, 6)$ ; Left: NONE; Right: NONE